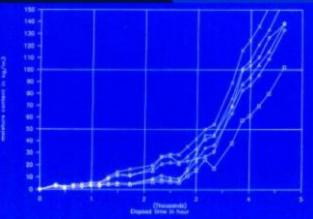
Tampere University of Technology Rakennusfysiikka 2007 Keynote October 18, 2007

### Does heat, air, moisture modelling really help in solving hygrothermal problems

H. Hens

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### **Outline**

Introduction
Combined HAM modeling
Weaknesses in actual models

Materials composed of identical REV's?

Contact resistances?

Geometry?

Rain run-off?

Wind pressure induced moisture flow?

Gravity effects?

Airflow?

Not considering risk!

Practice example Conclusions

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Conservation of heat, mass and momentum

$$\operatorname{div}(\operatorname{Flux} \operatorname{of} X) + \operatorname{S}(X) = -\frac{\partial X}{\partial t}$$

Flux equations: 2 types, diffusive and bulk

$$q = -\lambda \operatorname{grad}(\theta)$$

$$g_{v} = -\partial \operatorname{grad}(p)$$

$$g_{w} = -k_{w}\operatorname{grad}(s)$$

$$g_{w} = -k_{w,sat}\operatorname{grad}(P)$$

$$g_{a} = -k_{a}\operatorname{grad}(P_{a})$$

$$q = -mh$$

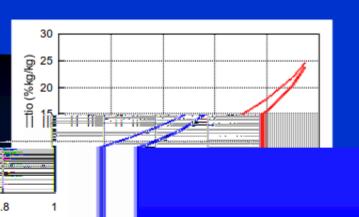
$$g_{v} = g_{a}x_{v}$$

Storage (P: driving forces)

$$\frac{\partial X}{\partial t} = \sum_{i} C_{i} \frac{\partial P}{\partial t} \text{ with } C_{i} = \frac{\partial X}{\partial P}$$

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## Combined HAM modelling

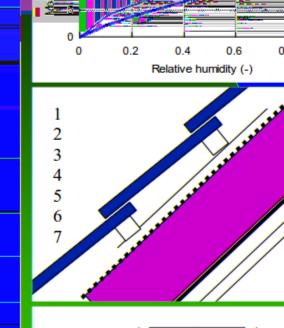
Equations of state  $p_{sat} = f(\theta, r_{eq})$   $h = c_p \theta + l_b$  Sorption isotherm

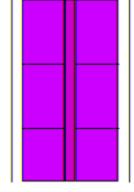
Geometry

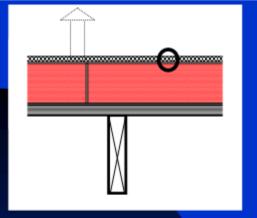
Boundary, initial and contact conditions

Outside climate
Inside temperatures
Inside relative humidity
Air pressure distribution

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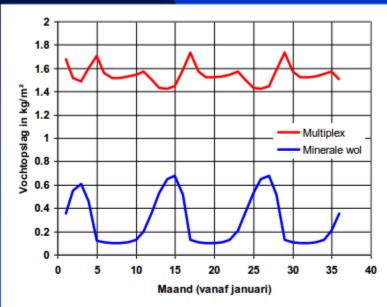






### **Combined HAM** modelling

**Mathematics** 



$$\rho c_{p} \frac{\partial \theta}{\partial t} = \nabla (\lambda \nabla \theta) + h_{v} \nabla (\delta_{v} \nabla p)$$

Materials assumed composed of equal REV's

In principle, equations work with average values per REV

For REV's infinitesimally small, a continuum approach applies

That results in PDE's with variable coefficients

Solved numerically

$$\rho \frac{\partial \mathbf{A}}{\partial t} = \nabla (\delta_{\mathbf{v}} \nabla \mathbf{p} + \mathbf{k}_{\mathbf{w}} \nabla \mathbf{s})$$

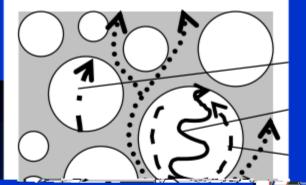
 $\nabla (\delta_{v} \nabla p + k_{w} \nabla s)$ ivil Engineering, Laboratory of Building Physics

## Combined HAM modelling

Basic material properties

	Storage	Transport	
General	Density (ρ), porosity (Ψ)		
Heat	Specific heat capacity (c <sub>p</sub> )	Thermal conductivity (λ)	
Air		Air permeability (k <sub>m</sub> ) or	
		Air permeance coefficient (a)	
		and flow exponent (n)	
Moisture Vapor		Vapor permeability $(\delta_v)$ or	
	Specific moisture content (ξ)	vapor resistance factor (μ)	
Liquid		Moisture permeability (k <sub>m</sub> )	

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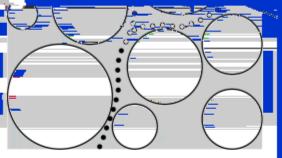
# Weaknesses in actual modelling Identical REV's?

general negative aracteristics are considered

s. Buffering and porous system.

lly sum of equal us and isotropic tical samples of terial very small

eristics showing or same material Building Physics



Answer in g

Very clear when mass related ch

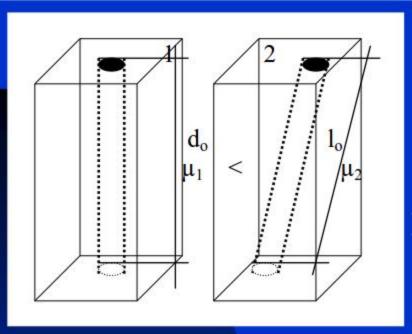
Mass flows develop in the pores flow characteristics typify

Porous systems only accidental REV's, i.e. homogeneo

So: probability of getting iden same mat

Or, measured mass related character large spread for

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Material properties

Example: water vapor resistance factor

Characterizes impact of porous system on water vapour flow by diffusion.

Defined as:

$$\mu = \frac{\delta_{v,a}}{\delta_v}$$

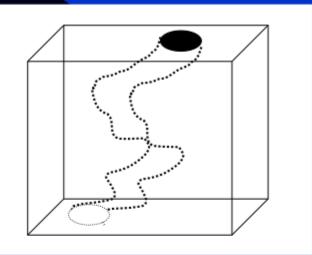
Straight pores with constant section perpendicular to the surface:

$$\mu = \frac{1}{\Psi_o}$$

Straight pores with constant section slope  $\alpha$  with the surface:

$$\mu = \frac{1}{\Psi} \left( \frac{1}{\cos \alpha} \right)$$

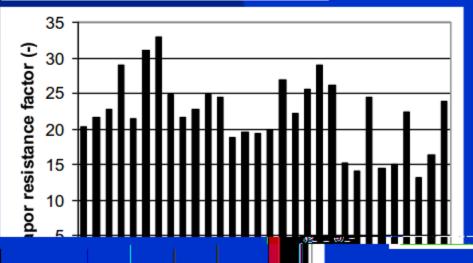
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Water vapor resistance factor

Straight pores, angle  $\alpha$ , varying section

$$\mu = \frac{1}{\Psi} \left\{ \frac{\Psi}{\cos \alpha} \sum_{i=1}^{n} \left[ \sum_{j=1}^{m} \left( \frac{d_{j}}{A_{j}} \right) \right] \right\}$$



In general:  $\mu = \frac{1}{\Psi} \Psi_T$ 

with  $\Psi_T$  tortuosity

Ψ<sub>T</sub> may vary substantially between samples of same material

Water vapor resistance factor

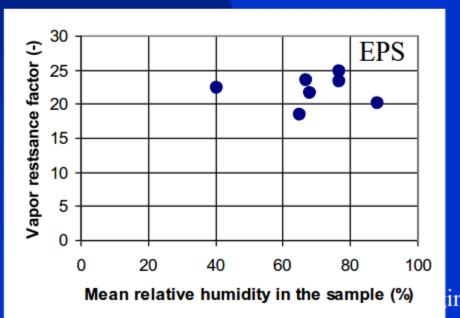
Anyhow,  $\mu$  expected constant for given sample

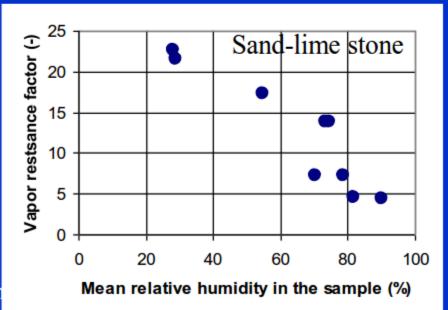
Not so for hygroscopic materials

Decreases with increasing relative humidity!

Also that relationship differs between samples.

Even function of temperature!





### **Weaknesses in actual**

Water vapor resistance factor

With n samples tested, how to calculate average µ-value?

Not as: 
$$\mu_{\rm m} = \frac{\sum \mu}{n}$$
, but

If sample thickness equals material thickness:

$$\mu_{\rm m} = \frac{n}{\sum \frac{1}{\mu_{\rm i}}}$$

Otherwise: 
$$\mu_{m} = \frac{1}{n_{2}} \sum_{j=1}^{n_{2}} \left( \frac{n_{1}}{\sum_{i=1}^{n_{1}} \frac{1}{\mu_{i}}} \right)$$

Vapor restsance factor (-) 15 10 80 100

25

Mean relative humidity in the sample (%)

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Water vapor resistance factor



Complexity still grows when composite layers are considered Take veneer wall

Why such low values?

Cracks between blocks and head joints, voids in mortar joints

Wall	Mean RH	Diffusion resistance factor blocks, µ -	Diffusion resistance factor veneer wall, µ -
1	59	50	3.0
2	57	50	3.2



Contact resistances between layers

Almost never considered but reality

Different contacts:

Ideal (continuity holds)

Air layer (diffusion only, capillary transport blocked)

Real (pattern of voids and capillary contacts, contact layer

different from bulk layers)

Problem: each situation different!

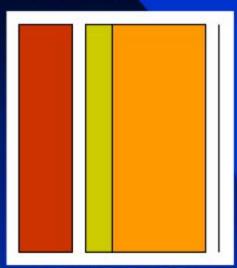
Contact resistances retard moisture transport between layers

Thin air layers, however, may promote air ingress, be

capillary active and help gravity flow

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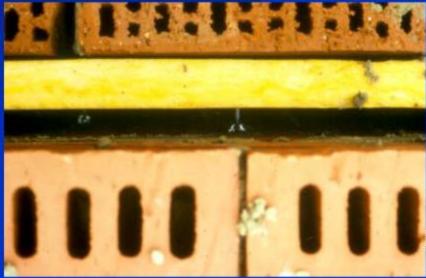
### Cavity wall, as implemented in 1D models



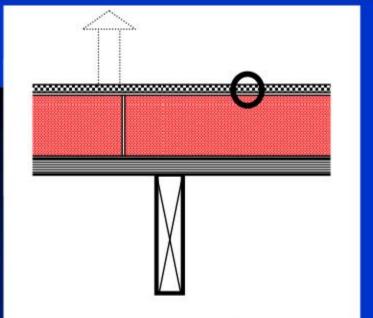
## Weaknesses in actual modelling

Geometry

Geometry used when applying models always virtual picture
Reality very different
Where virtual picture is evaluated on
HM transport, real part see HM plus air
washing and gravity flow









Geometry

A simple one-dimensional roof section on paper

Turns out behaving in a threedimensional way.

Why?

Vents

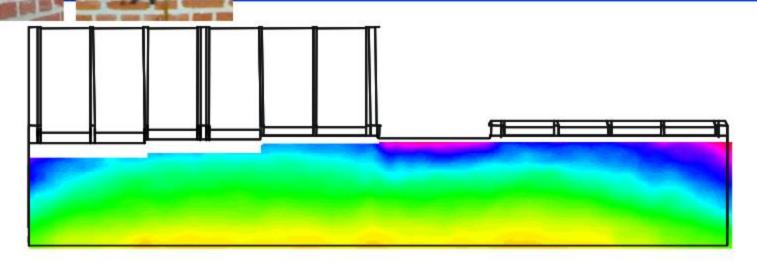
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Rain run-off

Rain impingement quite well predictable using CFD and droplet tracing

Learns that top corners and top zones see more wind driven rain than lower zones







Rain run-off

Rain hitting a surface partially sucked partially evaporates partially runs of Sucked water no problem Run off main cause of rain leakage.

Run off mechanism and patterns difficult to predict. Water coming down may dilute or concentrate

$$t_{\rm r} = 0.62 \frac{{\rm A}^2}{g_{\rm ws}^2}$$
 ng Physics

Slagregenintensiteit (kg/(m²,s)



# 1000 Cavity side run-off (g)

Exterior surface run-off (g2)

2500

3000

### Weaknesses in actual modelling

Wind pressure inducing moisture flow

Part of a main problem: accounting for pressure differences as cause of moisture flow

Wind presures helps in pushing rain runoff to the cavity side through cracks between head joints and bricks

Experimental formula (Vos, 1976)

$$G_{rsp} = 2.15 + 0.196G_{rv} + 0.0308\Delta P_{a} + 0.0017G_{rv}\Delta P_{a}$$

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### Gravity effects

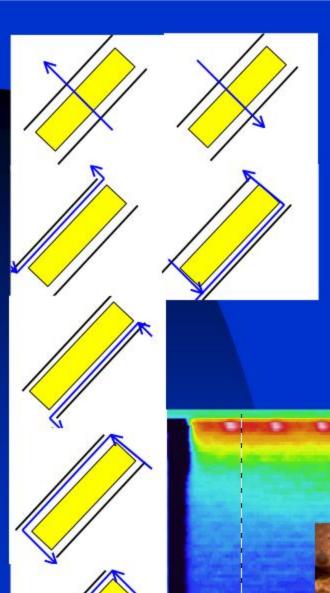
Gravity forces much stronger than wind Induce analogous problems: leakages through joints, cracks, holes, voids, etc Back to experimental formula for veneer leakage Constant underlines importance of gravity

$$G_{rsp} = 2.15 + 0.196G_{rv} + 0.0308\Delta P_{a} + 0.0017G_{rv}\Delta P_{a}$$



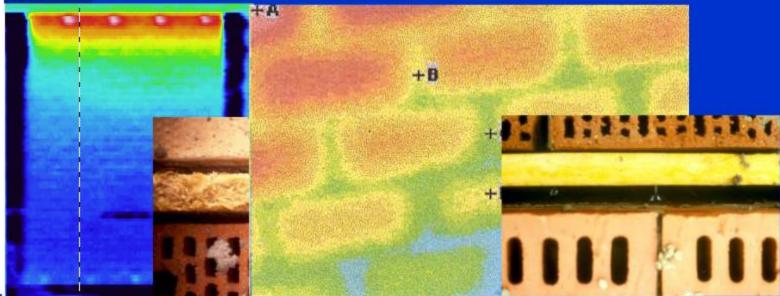






# Weaknesses in actual modelling Air flow

Although well known as a phenomenon, correct simulation highly random Main reason: lack of knowledge on real geometry, included cracks, air layers, voids, etc



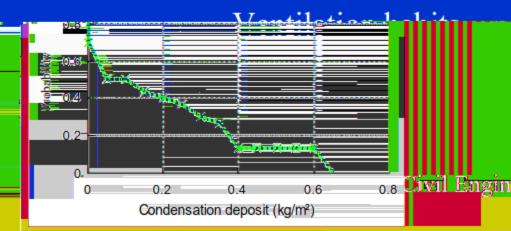
Not considering risk!

Risk: probability event will happen multiplied with severity of consequences Randomness caused by uncertainty on influencing parameters

Future outside climate

Inside vapour release

Air\_pressure\_differences Workmanship Design weaknesses eering, Laboratory of Building Physics



### **Practice example**



Large university building Program demanded for underground parking, large lecture rooms, library, smaller seminar rooms and individual office rooms

Solved by lay-out which narrows from basement to top. Large lecture rooms below, library above, seminar rooms and offices on top Result: building with oblique façade walls till the two highest floors

Cavity walls, oblique inside leafs in concrete



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### **Problems faced**

Abundant traces of water penetrations under all windows, and in the middle of the walls









### **Problems faced**

View on oblique facade during rain shows run-off Collects where the higher vertical facade touches the oblique part, provisional crack repair

Concentrated run of between oblique parts and window bays





### **Problems faced**

Intensive moss growth in the joints of the oblique veneer walls

Window sill wrongly detailed, drains water to the window frame, where no edge below is detailed that halts the water Oblique veneer not bonded, favors

buckling!

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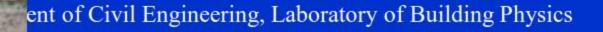
### **Analyzing the causes**

Major cause: exposure to precipitation Building form results in high wind-driven rain concentration on several surfaces

Oblique veneer walls even capture rain under windstill conditions

Water-repellant treatment increases waterload on mortar joints

Leaking water collects in the cavity, penetrates the insulation layer and humidifies the concrete inside leaf, where run-off bypass shrinkage cracks Wall insulation facilitated veneer masonry cracking







### Repairs

First proposal

Repacing oblique parts by stepwise retiring façade walls
May solve rain penetration problem

One bay finished

But

Veneer walls not raintight Cavity leakage collects on concrete steps, could drain to the inside

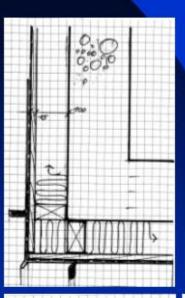
Quite severe thermal bridging were concrete steps penetrate thermal insulation

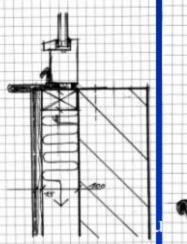
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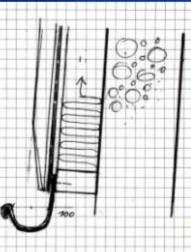
### Repairs

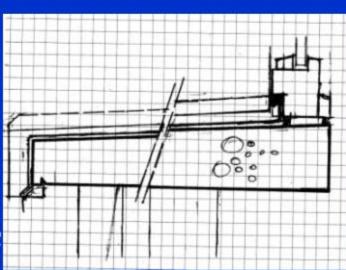
#### Second proposal

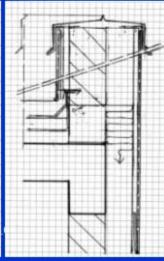
Demolishing oblique veneer walls
Standing seam zinc cover instead
Correct detailing very important, must solve
whole bunch of problems without
introducing new ones, such as reinforced
thermal bridging, backside interstitial
condensation, a.o.











# Conclusion How to become an expert in HAM?

Not by studying only



but additionally, by testing and gaining field experience

